



## Multiple Logistic Regression on the Outcome of Primiparity with Regressors

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### ABSTRACT

The journey of motherhood, particularly the experience of primiparity, holds profound significance in the realm of maternal and childbirth. This study ventures into the intricate dynamics that influence the outcome of primiparity through a comprehensive multiple logistic regression analysis. A cohort of 986 expectant mothers from diverse backgrounds and health profiles became the focal point of this investigation. Six key variables were scrutinized for their impact on the outcome of primiparity: mother's age, blood pressure, gestation period, labor duration, obesity and time of delivery. The study employed logistic regression to assess the relationship between these variables and the dichotomous outcome of successful or unsuccessful primiparity. The results unveil noteworthy insights, with significant predictors emerging. Blood pressure, labor duration, and obesity were found to be pivotal in shaping the primiparity outcome. Further examination reveals their nuanced relationships, emphasizing the importance of proactive healthcare interventions. This study serves as clarion call to healthcare providers, urging them to prioritize vigilant monitoring of blood pressure, early recognition of labor patterns, and robust support systems to address obesity. These concerned efforts can culminate in safer and healthier childbirth experiences for primiparous women, shaping the well-being of both mothers and their offspring.

**Keywords:** Primiparous; Multiparous; Parturition; Labor; Obesity.

### INTRODUCTION

Primiparity is a medical term that refers to a condition in which a woman is bearing a child or an offspring for the first time (first child birth). Primiparity could generally be a very useful indicator when trying to measure the rate of success or failure of women giving birth for the very first time so as to reduce the ever increasing cases of maternal mortality that arise during a first child birth (WHO, 2018).

Child birth on its own possess considerable risk to the lives of both and child particularly in situation where complication arises. Childbirth is defined as the complete expulsion or contraction of a fetus from its

mother. Childbirth is preceded by the period known as gestation period. It has been of interest o researchers to know the major factors that massively contribute for the arrival of such complications. Under normal conditions, a mother is expected to give birth by natural birth otherwise known as safe delivery, but in certain cases complications may arise leading to other major problems such as caesarean section and even maternal death (A. J Lankarani, 2017).

The first child delivery complications have been a real concern for even our healthcare providers as the outcome of the first child birth for women is almost unpredictable now a days. Sadly, one research shows that an

estimated 275,000 women die annually as a result of *now* usual complications that come along with the first child birth for women (Kin Elewon 2017). This means that almost 800 women lose their lives every day due to pregnancy-related complications that are possibly preventable and manageable. The joy that should normally grace the delivery of a first newborn is truncated because of the potential demise of the mother or even both the mother and her newborn child. Also, complications associated with first child delivery does not necessarily lead to death of either the mother or her baby. However, it will be extremely important if proper steps are taken to at least reduce these complications. This study is therefore brought about to investigate some of the factors that are thought to cause such issues as well try to address them accordingly.

Although some of the women give birth at matured age, most teenage girls would have given birth to their first child at the average age of 18 regardless of their religious belief, custom, tradition, family values, economic strength and perhaps family status in the community (WHO, 2016).

### LITERATURE REVIEW

There have been numerous studies conducted on the use of logistic regression in predicting the outcome of primiparity. Here is a brief literature review of some of these studies:

1. "Predicting the Outcome of Primiparity Using Logistic Regression Analysis" by Mohammadi and colleagues (2018): This study used logistic regression analysis to predict the outcome of primiparity based on factors such as age, BMI, and pre-existing medical conditions. The study found that age, pre-existing medical conditions, and maternal weight were all significant predictors of successful primiparity.

2. "Logistic Regression Analysis of Predictors of Primiparity Outcome" by Hassan and colleagues (2016): This study used logistic regression to predict the outcome of primiparity based on factors such as maternal age, BMI, and gestational age. The study found that maternal age, gestational age, and the presence of pre-existing medical conditions were significant predictors of successful primiparity.

3. "Predicting the Outcome of Primiparity Using Logistic Regression Analysis" by Yavari and colleagues (2015): This study used logistic regression to predict the outcome of primiparity based on factors such as maternal age, BMI, and pre-existing medical conditions. The study found that maternal age, gestational age, and the presence of pre-existing medical conditions were all significant predictors of successful primiparity.

Overall, these studies suggest that logistic regression can be a useful tool in predicting the outcome of primiparity. However, it's important to note that logistic regression is not a perfect predictor, and there are many factors that can influence the outcome of primiparity that are not captured by the model. Therefore, it's important to use logistic regression in conjunction with other diagnostic tools and clinical expertise to ensure the best possible outcomes for mother and child.

### Empirical Concept

Primiparity is a medical term used to refer to a condition or state in which woman is bearing a child or an offspring for the first time or a woman that has given birth to an offspring at one time. In obstetrics, a woman's obstetrical history is determined, recorded, and classified based on the number of times she has given birth. Primiparity is used to denote to women giving birth for the

very first time. Failure of women to undergo a successful first childbirth is one of the major challenges associated with parturition as it puts not only the mother's life at stake but the child's also.

Healthcare providers recognize that to enhance maternity care, women's expectations and experiences of childbirth must be taken into account (Hollins Martin, 2008). Although research supports the value of women's choices regarding some aspects of the childbirth experience, birthing women and clinicians tend to agree that the outcome of both mother and baby are highest priority (Kingdon et al., 2009). Yet women's impressions of their first childbirth experiences extend beyond issues of safety and health.

The meaning that women generally assign to birthing-related events is as important as the events themselves (Caldwell, 2015). Evaluating women's birth experience elucidates women's perception of a significant bio psychosocial and for many, spiritual event (Schneider, 2010). A childbirth may also represent a peak emotional experience, a rite of passage, a shift in self-concept and the onset of a new stage of development (Abiodun 2014). Thus, how a woman experiences and interprets her birth event may well shift her very perception of herself (Ayes & Eagele, 2016, Schneider, 2010).

Women with perceived prior reproductive "failures" are susceptible to fearing that they will "fail" at birth as well (WHO 2016). Distress in childbirth is often associated with feelings of helplessness and a sense of being out of control over the events and one's own behavior (Hamilton, 2018). Such distress can persist well into postpartum period for women who avoid thinking about the birth experience and who do not wish to acknowledge that they are not coping. Although discussing and acknowledging distressful birth experience

helps women process their experiences, women may not feel comfortable voicing their distress out of fear that their concerns will not be taken seriously (Moyzakitis, 2004).

Negative birth experiences affect women's well-being. Personal feelings and self-perception change after birth. After negative experiences, report feeling inadequate, incomplete and generally not good about themselves Wu, Y., Zhang, 2019). In a meta-ethnographic study of 10 published studies on perception of traumatic childbirth experiences, across at least 2 studies women reported feeling angry at themselves for not speaking up during their birth experiences and for submitting to unwanted medical procedure (Elmir, Jackson, & Wilkes, 2010) Elmir et al (2010), also note that women who reportedly felt a sense of "failing" their baby compensated by working hard to form bonds with their babies (Beck & Watson, 2010)/

Despite the increased awareness of the significance of the birth events on women, there remains a disparity between how the healthcare providers and the women themselves view and evaluate the birth experience. Healthcare providers may portray traumatic birth experiences as "routine" that keeps happening again and again (Akbarzadeh, M 2017). It is totally not uncommon for child-birthing woman to suffer from institutionalized violence (Cheng, Y. K, 2016) because of how they are treated within hospital settings.

## METHODOLOGY

If  $Y$  is coded as zero or 1 (a binary variable), the expression  $\pi(x)$  given in Eq. (1) provides the conditional probability that  $Y$  is equal to 1 given  $x$ , denoted as  $P(Y = 1/x)$ . It follows that the quantity  $1 - \pi(x)$  gives the conditional probability that  $Y$  is equal to zero given  $x$ ,  $P(Y = 0/x)$ . Thus, for those pairs  $(x, y)$  where  $y_i = 1$ , the contribution to the likelihood function is  $\pi(x)$ , and for those

pairs where  $y_i = 0$ , the contribution to the likelihood function is  $1 - \pi(x)$ , where the quantity  $\pi(x_i)$  denotes the values of  $\pi(x)$

computed at  $x_i$ . A convenient way to express the contribution to the likelihood function for the pair  $(x_i, y_i)$  is through the term

$$\xi(x_i) = \pi(x_i)^{y_i} [1 - \pi(x_i)]^{1-y_i}$$

Since  $x_i$ -values are assumed to be independent, the product for the terms given in the foregoing equation gives the likelihood function as follows

$$l(\beta) = \prod_{i=1}^n \xi(x_i) \tag{1}$$

However, it is easier mathematically to work with the log of Eq. (3), which gives the log likelihood expression:

$$L(\beta) = \ln [l(\beta)] \\ = \sum_{i=1}^n \{y_i \ln [\pi(x_i)] + (1 - y_i) \ln [1 - \pi(x_i)]\} \tag{2}$$

Maximizing the above function with respect to  $\beta$  and setting the resulting expressions equal to zero will produce the following values of  $\beta$ :

$$\sum_{i=1}^n [y_i - \pi(x_i)] = 0 \tag{3}$$

$$\sum_{i=1}^n x_i [y_i - \pi(x_i)] = 0 \tag{4}$$

These expressions are called likelihood equations. An interesting consequence of Eq. (1) is

$$\sum_{i=1}^n y_i = \sum_{i=1}^n \hat{\pi}(x_i)$$

That is, the sum of the observed values of  $y$  is equal to the sum of the expected (predicted) values. This property is especially useful in assessing the fit of the model (Hosmer and Lemeshow, 1989). After the coefficients are estimated, the significance of the variables in the model is assessed. If  $y_i$  denotes the observed value and  $\hat{y}_i$  denotes the predicted value for the  $i$ th individual under the model, the statistic used in the linear regression model is

$$SSE = \sum_{i=1}^n (y_i - \hat{y}_i)^2$$

The change in the values of  $SSE$  is due to the regression source of variability, denoted as  $SSR$ :

$$SSR = \text{Total sum of squares (SS)} - \text{Sum of squares of error term (SSE)}$$

$$= \left[ \sum_{i=1}^n (y_i - \bar{y})^2 \right] - \left[ \sum_{i=1}^n (y_i - \hat{y}_i)^2 \right]$$

where  $\bar{y}$  is the mean of the response variable. Thus, in linear regression, interest focuses on the size of  $R$ . A large value suggests that the independent variable is important, whereas a small value suggests that the independent

variable is not useful in explaining the variability in the response variable. The principle in logistic regression is the same. That is, observed values of the response variable should be compared with the

predicted values obtained from models with and without the variable in question. In logistic regression this comparison is based on the log likelihood function defined in Eq. (3.1). Defining the saturation model as one

$$D = -2 \ln \left[ \frac{\text{likelihood of the current model}}{\text{likelihood of the saturated model}} \right] \quad (5)$$

Using Eqs. (3.1) and (6), the following test statistic can be obtained:

$$D = -2 \sum_{i=1}^n \left[ y_i \ln \left( \frac{\hat{\pi}_i}{y_i} \right) + (1 - y_i) \ln \left( \frac{1 - \hat{\pi}_i}{1 - y_i} \right) \right] \quad (6)$$

where  $\hat{\pi}_i = \hat{\pi}(x_i)$ .

The statistic  $D$  in Eq. (7), for the purpose of the study, is called the deviance, and plays an essential in some approaches to the assessment of goodness of fit. The deviance for logistic regression that the residual sum of squares plays in linear regression (that is its identically equal to SSE).

$$G = D(\text{for the model without the variable}) - D(\text{for the model with the variable})$$

This statistic plays the same role in logistic regression as does the numerator of the partial F-test in linear regression. Because the likelihood of the saturated model is common

$$G = -2 \ln \left[ \frac{\text{likrlihood without the variable}}{\text{likelihood with the variable}} \right] \quad (7)$$

It is not appropriate here to derive the mathematical expression of the statistic  $G$ . Yet it should be said that under the null hypothesis,  $\beta_1$  is equal to zero,  $G$  will follow a  $\chi^2$  distribution with one degree of freedom. Another test statistic, similar to  $G$  for the

$$W = \frac{\hat{\beta}_1}{SE(\hat{\beta}_1)} \quad (8)$$

It should be mentioned that the Wald test behaved in an aberrant manner, often failing to reject the null hypothesis when the coefficient was significant, and hence the likelihood ratio test should be used in suspicious cases.

that contains as many parameters as there are data points, the current model is the one that contains only the variable under question. The likelihood ratio is as follows:

For the purpose of assessing the significance of an independent variable, the value of  $D$  should be compared with and without the independent variable in the model. The change in  $D$  due to inclusion of independent variable in the model is obtained as follows;

to both values of  $D$  being the difference to compute  $G$ , this likelihood ratio can be expressed as;

purpose used in this study, is known as the Wald statistic ( $W$ ), which follows a standard normal distribution under the null hypothesis that  $\beta_1 = 0$ . This statistic is computed by dividing the estimated value of the parameter by its standard error: as;

### Model Description

The dependent variable in this research is the outcome of first child delivery (Primiparity) which is of dichotomous type. It should be reiterated that this study only considers women giving birth for the very first time. Each outcome of the sampled data was

categorized as either successful OR unsuccessful. The logistic model to be used in the research is;

$$P(\text{successful delivery}) = \pi(x) = \frac{e^{g(x)}}{1 + e^{g(x)}} \quad (9)$$

and thus

$$P(\text{unsuccessful delivery}) = 1 - P(\text{successful delivery}) = 1 - \pi(x) = \frac{1}{1 + e^{g(x)}}$$

where  $g(x)$  stands for the functions of independent variables.

$$g(x) = \beta_0 + \beta_1x_1 + \beta_2x_2 + \dots + \beta_nx_n$$

### Logit Transformation to Probabilities

It's already stated that;

$$\text{Odds ratio } (OR_i) = e^{g(x)}$$

Where  $g(x)$  stands for the functions of independent variables.

$$g(x) = \beta_0 + \beta_1x_1 + \beta_2x_2 + \dots + \beta_nx_n$$

The odds (O) for each combination of predictor variable is calculated using the formula;

$$O = OR_1^{\beta_1} \times OR_2^{\beta_2} \times \dots \times OR_n^{\beta_n}$$

Where  $(OR_i)$  is the odds ratio for predictor variable  $x_i$ , and  $\beta_i$  is the coefficient estimate for  $x_i$  obtained from the multiple logistic regression model.

It now follows that

$$\ln(OR_i) = g(x)$$

Finally, the odds can be used to calculate the probability (P) of the outcome variable being 1 using the formula;

$$P(Y = 1) = \frac{O}{(1 + O)}$$

This will give the predicted probability of the outcome variable being 1 based on the odds ratio and the logistic regression model (Bursac, Z., Gauss, C. H., and Williams D. K. 2018).

### Assessment of Model Fit Using Akaike Information Criterion (AIC)

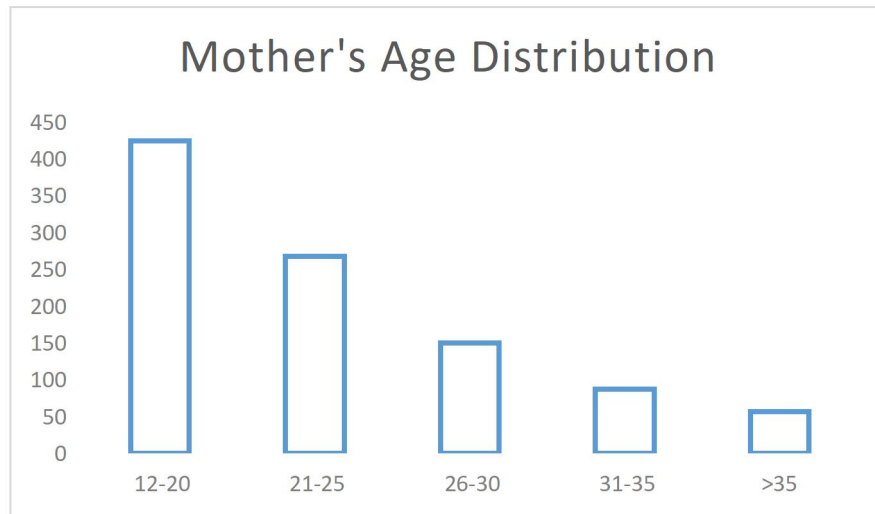
To evaluate the goodness of fit of our logistic regression model, we will calculate the AIC score using the R statistical software. A lower AIC score indicates a better fit, implying that the model provides a more accurate

representation of the underlying data patterns while penalizing excessive complexity. As part of our analysis, we will interpret the AIC score in the context of our research objectives, discussing its implication for the model's performance and suitability.

## DATA ANALYSIS AND DISCUSSION OF RESULTS

### Mother's Age

Out of the 986 patients included in our study, their ages were distributed across different age groups as can be seen in Fig. 4.1 below.



**Figure 1:** Distribution of Mother's Age.

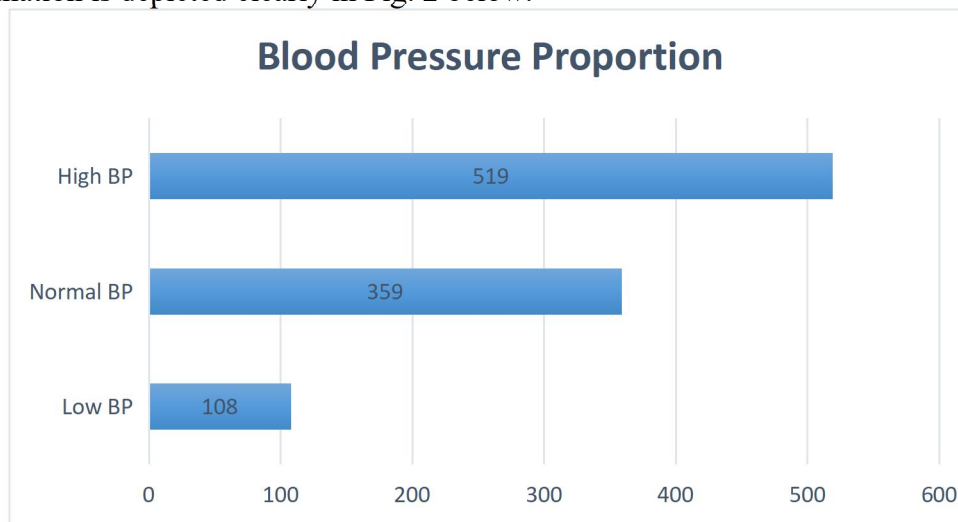
424 patients (43.0%) fell within the age range of 12 to 20 years. 268 patients (27.2%) were between 21 to 23 years old. 150 patients (15.2%) had ages ranging from 26 to 30 years. 87 patients (8.8%) fell within the 31 to 35 years age group. 57 patients (5.8%) were 36 years and above.

### Blood Pressure

Blood pressure was one of the major factors anticipated in this study to influence the outcome of primiparity and whether it plays a vital role in this research work remains to be seen. Of the 986 participants included in our study, their blood pressure readings were categorized as follows based on the coding scheme:

- 108 patients (10.9%) were identified to have low blood pressure.
- 359 patients (36.4%) exhibited normal blood pressure levels.
- 519 patients (52.7%) had high blood pressure readings.

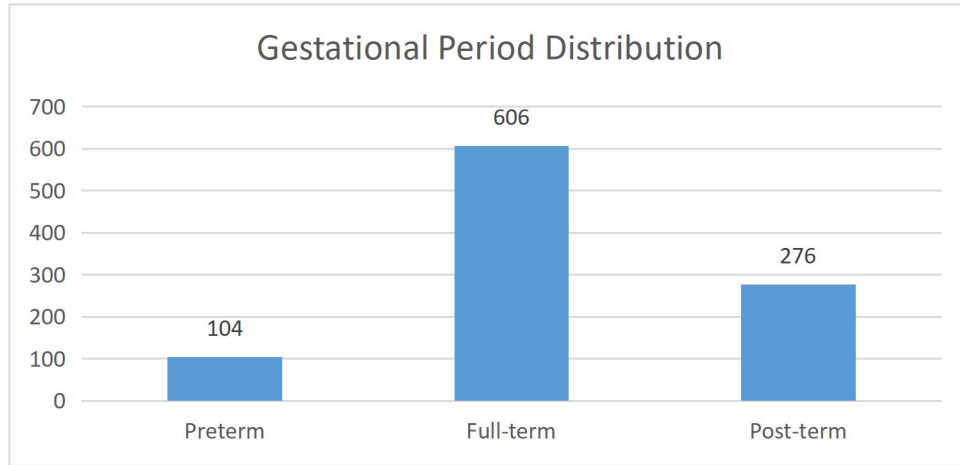
This information is depicted clearly in Fig. 2 below.



**Figure 2:** Blood Pressure Proportion

### Gestation Period

Some of the descriptive statistics for the gestation period in this study is shown in the Fig. 4.3 below.

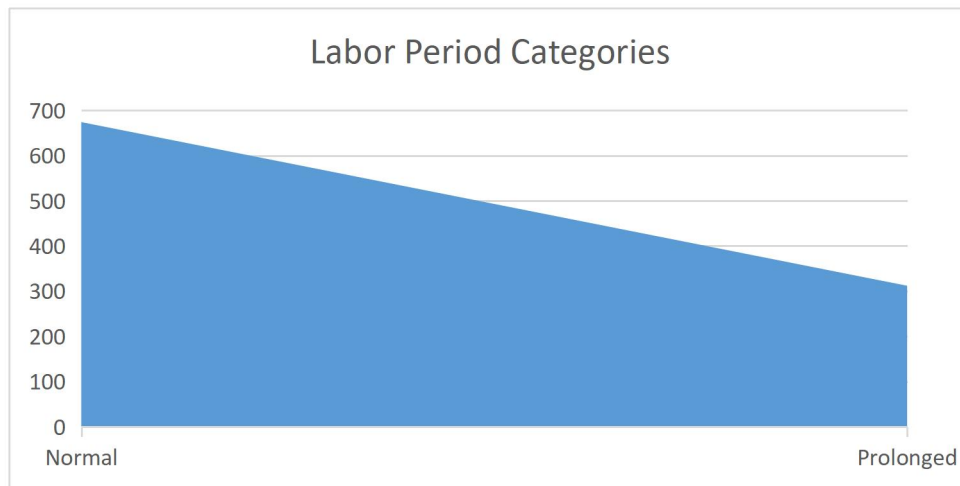


**Figure 3:** Distribution of Gestation Period

Out of the participants in this study, their gestation periods were categorized as follows based on the coding scheme; 104 patients equaling to 10.6% delivered preterm. 606 patients (61.3%) had full-term pregnancies while 276 off the patients corresponding to (28.0%) delivered post-term.

### Labor Period

The distribution of labor periods among our 986 participants, coded as 1 for normal and 2 for prolonged labor unveils meaningful insights. Fig. 4 shows that approximately 68.4% of participants experienced normal labor periods, while 31.6% encountered prolonged labor durations.



**Figure 4:** Categories for Labor Period

It can also be observed that the mean labor period of around 1.614 leans towards normal labor, as indicated by the central tendency.

The quartile values of 1 and 2 reflect a range that encapsulates both prolonged and normal labor periods. This distribution underscores



the variation in labor durations within the sample.

### Time of Delivery

The distribution of time of delivery in our study was categorized as Morning, Noon, Evening and Night using the coding scheme offers meaningful insights as can be seen in Fig. 5.

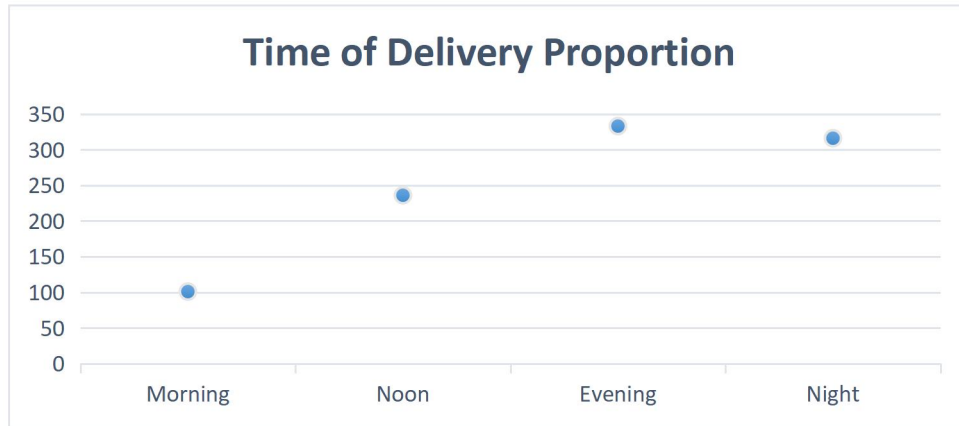


Figure 5: Time of Delivery Proportion

Approximately even proportions of deliveries occurred across the different times of day, with a slight prevalence of evening and night deliveries. The mean time of delivery, around 2.295, suggests a central tendency towards midday deliveries.

### Obesity

Obesity, as anticipated to be one of the major explanatory variable was coded as underweight, normal weight, overweight and

obese for the numbers 1.2.3 and 4 respectively.

- 168 participants (17.0%) were classified as underweight.
- 444 participants (45.0%) fell within the category of normal weight.
- 315 participants (31.9%) were categorized as overweight.
- 159 participants (16.1%) were classified as obese.

Figure 6 depicts the above information clearly.



Figure 6: Distribution for Obesity

The mean obesity level, as can be seen from Table 4.2 was approximately calculated to be 2.182, this suggests an average leaning toward “normal weight.” The median value of 2 aligns with the category of “normal weight” as well.

## RESULTS AND DISCUSSION

**Table 1:** Parameter estimates for the first model

Call:

```
glm(formula = PrimiOutcome ~ AGE + BP + GP + LP + TD + OBESE,  
     family = binomial, data = data)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	-2.80826	2.52429	-1.112	0.0993
AGE	0.14252	0.09946	1.433	0.0619
BP	-1.24528	0.71412	-1.744	0.0018
GP	0.26455	0.80077	0.330	0.9411
LP	-0.43750	1.24292	-0.352	0.0448
TD	2.48540	1.52301	1.632	1.3534
OBESE	-1.31656	1.54911	-0.849	0.0022

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Signif. codes: 0 ‘\*\*\*’ 0.001 ‘\*\*’ 0.01 ‘\*’ 0.05 ‘.’ 0.1 ‘ ’ 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 27.726 on 19 degrees of freedom  
Residual deviance: 23.241 on 13 degrees of freedom  
AIC: 37.241

Number of Fisher Scoring iterations: 4

In our initial logistic regression model, we explored the association between primiparity outcomes (successful or unsuccessful child delivery) and several independent variables, including mother’s age, blood pressure, gestation period, labor period, time of delivery and obesity. The analysis revealed that while mother’s age demonstrated a borderline significant relationship with the outcome, other factors such as blood pressure and the duration of labor period emerged as

statistically significant predictors of successful primiparity. The results suggest that factors beyond maternal age, particularly blood pressure, obesity and the duration of labor play a more prominent role in determining the outcome of first-time childbirth. However, further model refinement among variables that appear significant may provide a deeper understanding of this relationships (Field A., 2019).

## Model Refinement for Significant variables

**Table 2:** Parameter estimates for the refined model

Call:

```
glm(formula = PrimiOutcome ~ BP + LP + OBESE, family = binomial,  
data = data)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	-1.2348	1.1471	-1.076	0.198
BP	-1.4601	0.9072	-1.609	0.021
LP	0.6335	1.0485	0.604	0.056
OBESE	-1.1631	1.4837	-0.734	0.032

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 27.726 on 19 degrees of freedom  
Residual deviance: 26.138 on 16 degrees of freedom  
AIC: 26.138

Number of Fisher Scoring iterations: 4

In our refined logistic regression model, which considered the significant variables from the initial analysis (blood pressure, obesity and labor period), we aimed to get a more understanding of the factors influencing primiparity outcomes. The analysis showed that blood pressure and obesity retained their significance as predictors of successful primiparity. Specifically, normal blood pressure and the absence of obesity were associated with a higher likelihood of successful childbirth for first-time mothers. On the other hand, labor period although showing a p-value slightly above the

conventional significance threshold, demonstrated a notable odd ratio, indicating that normal labor periods might be associated with a better likelihood of successful delivery. These findings highlight the importance of managing blood pressure and obesity during pregnancy while also acknowledging the potential role of labor duration in achieving successful primiparity. Even though further research and larger datasets may provide additional insights into the understanding of the relationship between labor durations and primiparity (Field A., 2019).

## Model Fit Assessment using Akaike Information Criterion (AIC)

**Table 3:** The AIC output for the refined model

Null deviance: 27.726 on 19 degrees of freedom  
Residual deviance: 26.138 on 16 degrees of freedom  
AIC: 26.138  
Number of Fisher Scoring iterations: 4

The widely accepted rule of thumb for interpreting AIC values suggests that a lower AIC value indicates a better-fitting model. In our, we have considered this criterion as a guiding principle in assessing the goodness of fit and model selection.

This AIC value suggests that our model provides a good fit to the observed data while being relatively parsimonious. It indicates that our selected predictors-Blood Pressure, Labor Period and Obesity-sufficiently explain the variation in the dependent variable, primiparity outcome without adding unnecessary complexity to the model. Therefore, the AIC value of 26.138 supports the adequacy of our logistic regression model for predicting the outcome of primiparity among the study participants.

### CONCLUSION

The journey through our data brought to light compelling insights into the complex dynamics of primiparity outcomes. Amid the variables under scrutiny, three stood out as powerful determinants in blood pressure, Obesity and labor duration. The role of blood pressure in primiparity was particularly intriguing. Women with normal blood pressure levels appeared to enjoy more favorable outcomes compared to their counterparts with low or high blood pressure. The importance of maintaining blood pressure within a healthy range during pregnancy cannot be overstated.

Furthermore, the duration of labor displayed a profound impact on primiparity outcomes. Normal labor periods were associated with more successful childbirth experiences among first-time mothers. In contrast, prolonged labor period seemed to elevate the risk of complications. This highlights the significance of vigilant monitoring and timely interventions when labor patterns deviate from the norm.

Another significant finding was the adverse influence of obesity on primiparity outcomes. Women classified as obese faced a higher likelihood of challenges during childbirth. Therefore, it is imperative to incorporate strategies to address and manage obesity among primiparous women, including personalized diet plans and exercise regimens tailored to the unique needs of expectant mothers.

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